

Lecture 9-10

Review

Calling Conventions Review

- Calling conventions define the protocol for calling a function with arguments and getting the return values.
 - An agreement between **caller** and **callee**.
 - Some functions are **both** (for example recursion).
- They define things like:
 - How to pass parameters and get return values.
 - Who manages the stack and when?
 - Which registers must be preserved.

Passing Arguments

- `x,y,z = some_function(a,b,c)`
- Option 1:
 - **Caller** pushes arguments to stack in order A,B,C.
 - **Callee** pops arguments (in order C, B, A).
 - **Use this unless we say otherwise.**
- Option 2:
 - **Caller** puts arguments in registers `$a0, $a1,...`
- Other options e.g., :
 - **Caller** pushes arguments to stack in order A,B,C
 - **Callee** loads argument but does not pop.
 - **Caller** will clear arguments form stack.

Returning values

- `x,y,z = some_function(a,b,c)`
- Option 1:
 - **Callee** pushes return value(s) onto the stack in order `z,y,x`.
 - **Caller** pops return values (will get order `x,y,z`)
 - **Use this unless we tell you otherwise.**
- Option 2:
 - **Callee** puts the arguments in registers `$v0, $v1`
- Other options e.g.,:
 - **Caller** preallocates space on stack for return value.
 - **Callee** stores return value in the prepared space.

Preserving Registers

- `$ra` must be preserved if calling other functions from inside a function.
- Option 1:
 - Push before calling functions (before arguments)
 - Restore after popping return value)
- Option 2:
 - Push when entering a function
 - Pop just before pushing the return value.
- You can use any option as long as it's correct.

Preserving Registers

- Registers \$t0 - \$t9 are **caller-saved**
 - If the **caller** needs their values, save them.
 - Push before calling a function (before arguments)
 - Pop when function returns (after popping ret. val).
- Registers \$s0-\$s7 are **callee-saved**
 - If a **callee** uses them, save them.
 - Push at the beginning, after popping arguments.
 - Pop at the end, before pushing return value.
- **You need to do this to maintain correctness.**

- For the test & final exam, you'll have a list of available assembly language commands:

Reference Information

ALU arithmetic input table:

Select		Input	Operation	
S ₁	S ₀	Y	C _{in} =0	C _{in} =1
0	0	All 0s	G=A	G=A+1
0	1	B	G=A+B	G=A+B+1
1	0	B	G=A-B-1	G=A-B
1	1	All 1s	G=A-1	G=A

Register table:

Register values: Processor role

- Register 0 (\$zero): value 0.
- Register 1 (\$at): reserved for the assembler.
- Registers 2-3 (\$v0, \$v1): return values
- Registers 4-7 (\$a0-\$a3): function arguments
- Registers 8-15, 24-25 (\$t0-\$t9): temporaries
- Registers 16-23 (\$s0-\$s7): saved temporaries
- Registers 28-31 (\$gp, \$sp, \$fp, \$ra)

Instruction table:

Instruction	Op/Func	Syntax
add	100000	\$d, \$s, \$t
addu	100001	\$d, \$s, \$t
addi	001000	\$t, \$s, i
addiu	001001	\$t, \$s, i
div	011010	\$s, \$t
divu	011011	\$s, \$t
mult	011000	\$s, \$t
multu	011001	\$s, \$t
sub	100010	\$d, \$s, \$t
subu	100011	\$d, \$s, \$t
and	100100	\$d, \$s, \$t
andi	001100	\$t, \$s, i
nor	100111	\$d, \$s, \$t
or	100101	\$d, \$s, \$t
ori	001101	\$t, \$s, i
xor	100110	\$d, \$s, \$t
xori	001110	\$t, \$s, i
sll	000000	\$d, \$t, a
sllv	000100	\$d, \$t, \$s
sra	000011	\$d, \$t, a
srav	000111	\$d, \$t, \$s
srl	000010	\$d, \$t, a
srlv	000110	\$d, \$t, \$s
beq	000100	\$s, \$t, label
bgtz	000111	\$s, label
blez	000110	\$s, label
bne	000101	\$s, \$t, label
j	000010	label
jal	000011	label
jalr	001001	\$s
jr	001000	\$s
lb	100000	\$t, i(\$s)
lbu	100100	\$t, i(\$s)
lh	100001	\$t, i(\$s)
lhu	100101	\$t, i(\$s)
lw	100011	\$t, i(\$s)
lwb	101000	\$t, i(\$s)
lwh	101001	\$t, i(\$s)
sw	101011	\$t, i(\$s)
trap	011010	i
mflo	010010	\$d

Question 1

- Write a sign function
 - Use the regular (simple) calling convention (callee will pop arguments)

```
def sign(i):  
    if(i > 0):  
        result = 1  
    else if(i < 0):  
        result = -1  
    else:  
        result = 0  
    return result
```


Question 1

```
def sign(i):  
    if(i > 0):  
        result = 1  
    else if(i < 0):  
        result = -1  
    else:  
        result = 0  
    return result
```

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mult	011000	\$s, \$t
multu	011001	\$s, \$t
sub	100010	\$d, \$s, \$t
subu	100011	\$d, \$s, \$t
and	100100	\$d, \$s, \$t
andi	001100	\$t, \$s, i
nor	100111	\$d, \$s, \$t
or	100101	\$d, \$s, \$t
ori	001101	\$t, \$s, i
xor	100110	\$d, \$s, \$t
xori	001110	\$t, \$s, i
sll	000000	\$d, \$t, a
sllv	000100	\$d, \$t, \$s
sra	000011	\$d, \$t, a
srav	000111	\$d, \$t, \$s
srl	000010	\$d, \$t, a
srlv	000110	\$d, \$t, \$s
beg	000100	\$s, \$t, label
bgtz	000111	\$s, label
blez	000110	\$s, label
bne	000101	\$s, \$t, label
j	000010	label
jal	000011	label
jalr	001001	\$s
jr	001000	\$s
lb	100000	\$t, i(\$s)
lbu	100100	\$t, i(\$s)
lh	100001	\$t, i(\$s)
lhu	100101	\$t, i(\$s)
lw	100011	\$t, i(\$s)
sb	101000	\$t, i(\$s)
sh	101001	\$t, i(\$s)
sw	101011	\$t, i(\$s)
trap	011010	i
mflo	010010	\$d

Question 2

- Write a function `n_sol(a,b,c)` that returns the number of solutions for the equation $ax^2+bx+c = 0$ (Use the sign function from Q1)

```
def n_sol(a,b,c):  
    delta = b*b - 4*a*c  
    s = sign(delta)  
    if s < 0:  
        return 0  
    else s == 0:  
        return 1  
    else:  
        return 2
```

Question 2

- Write a function `n_sol(a,b,c)` that returns the solutions for the equation $ax^2+bx+c = 0$
 - **TRICK!** since `sign(delta)` is `-1,0,1`, we can do:

```
def n_sol(a,b,c):  
    delta = b*b - 4*a*c  
    s = sign(delta)  
    return s + 1
```

Question 2

```
def n_sol(a,b,c):  
    delta = b*b - 4*a*c  
    s = sign(delta)  
    return s + 1
```

Instruction	Op/Func	Syntax
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sllv	000100	\$d, \$t, \$s
sra	000011	\$d, \$t, a
srav	000111	\$d, \$t, \$s
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srlv	000110	\$d, \$t, \$s
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jalr	001001	\$s
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lh	100001	\$t, i(\$s)
lhu	100101	\$t, i(\$s)
lw	100011	\$t, i(\$s)
sb	101000	\$t, i(\$s)
sh	101001	\$t, i(\$s)
sw	101011	\$t, i(\$s)
trap	011010	i
mflo	010010	\$d

Question 3

- What does the following function do?:

```
myfunc:    lw $t0, 0($sp)
           addi $sp, $sp, 4
           addi $t1, $zero, 2
           div $t0, $t1
           mfhi $t0
           beq $t0, $zero, LABEL1
           add $t2, $zero, $zero
           j LABEL2

LABEL1:    addi $t2, $zero, 1
LABEL2:    addi $sp, $sp, -4
           sw $t2, 0($sp)
           jr $ra
```

Question 3b

Now write some code to do the following:

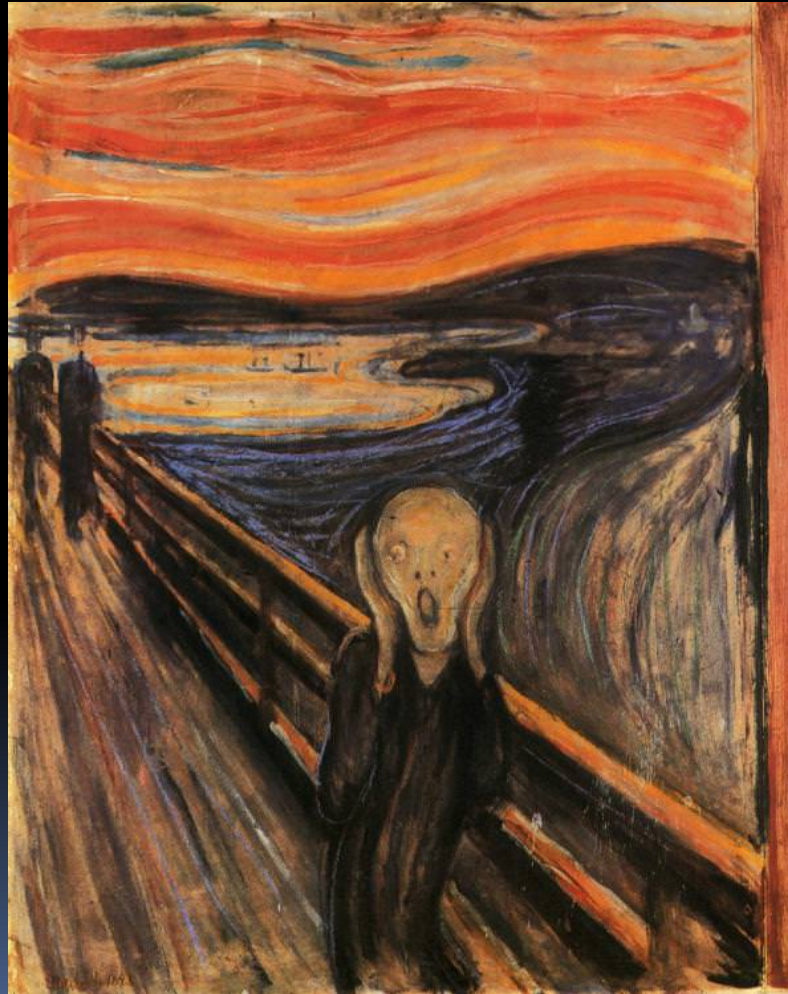
- Create an array of integers
 - The last value in the array is zero (to stop the loop)
- Use the function we just saw to count the number of even values in the array.

Question 4

- Use recursion to compute integer square root of n:

```
def isqrt(n):
    if n < 0:
        return -1 # error!
    if n < 2:
        return n
    low = isqrt(n >> 2) << 1
    high = low + 1
    if high*high > n:
        return low
    else:
        return high
```

Question 4



Question 4

- Don't panic.
- Remember your training!
 - A recursive function is just another function.
 - Save `$ra` and any other registers.
- Use "assembly pseudocode" then convert to assembly



Question 4 Pseudocode

- Pop argument into $\$t1$
- If $\$t1 \geq 0$ (bgez) skip to next step
 - Otherwise: push -1 then return to caller
- If $\$t2 \geq 2$: skip to next step
 - Otherwise: push $\$t1$ and return to caller
- Push $\$ra$
- Push $\$t2$ to save n
- Compute $n \gg 2$ and push it
 - Logical shift? (doesn't matter)
- Call `isqrt` (the recursive call)
- Pop result into $\$t1$
- Pop $\$t2$ to restore n
- ...compute...
- Pop $\$ra$
- Push return value
- Return to caller

```
def isqrt(n):  
    if n < 0:  
        return -1 # error!  
    if n < 2:  
        return n  
    low = isqrt(n >> 2) << 1  
    high = low + 1  
    if high*high > n:  
        return low  
    else:  
        return high
```